$\qquad$

## BALLOON LAUNCH!

The equation $\boldsymbol{d}=\boldsymbol{V}_{\boldsymbol{x}} \boldsymbol{t}$ tells us the distance our balloon will travel through the air with no external forces other than gravity, so this should be easy...we just need to substitute in for $\boldsymbol{V}_{x}$ and $\boldsymbol{t}$ then solve for $\boldsymbol{d}$. Right? Not so fast we have some "Algebra" to do ...©

## FIND THE INITIAL VELOCITY OF THE BALLOON

$V_{x}$ stand for horizontal velocity and we can't find that until we know $V_{i}$ the initial velocity the balloon has when it leaves the launcher. To find $\mathbf{V}_{i}$ we will use the following equation $a=\frac{-2 V_{i}}{t}$ Solve this equation for $V_{i}$ below.

In order to calculate $\boldsymbol{V}_{\boldsymbol{i}}$ we must know $\boldsymbol{a}$ and $\boldsymbol{t}$. $\boldsymbol{a}$ stands for acceleration of gravity and is equal to -9.8. $\boldsymbol{t}$ represents the average time in the air when the balloon is launched straight up. Let's go outside and time it!

Time 1: $\qquad$ sec Time 2: $\qquad$ sec

Time 3: $\qquad$ sec

Time 4: $\qquad$ sec

Time 5: $\qquad$ sec

Avg Time ( $\boldsymbol{t}$ ): $\qquad$ sec Now that we know $\boldsymbol{a}$ and $\boldsymbol{t}$, substitute to find the initial velocity $\left(\boldsymbol{V}_{i}\right)$ of the balloon. The unit should be $\frac{m}{\sec }$.

$$
\text { Initial Velocity }\left(V_{i}\right)=
$$

$\qquad$
Your answer above is in meters per second $\frac{m}{\sec }$. Just for FUN, convert that velocity to miles per hour $\frac{m i}{h r}$. $\frac{1 m}{\mathrm{sec}}=\frac{2.24 m i}{h r}$

## FIND THE HORIZONTAL AND VERTICAL VELOCITIES

The equation used to find $\boldsymbol{V}_{\boldsymbol{x}}$ (the horizontal velocity) is $.866=\frac{V_{x}}{V_{i}}$. The equation used to find $\boldsymbol{V}_{\boldsymbol{y}}$ (the vertical velocity) is $.5=\frac{V_{y}}{V_{i}}$. Solve the two equations for $\boldsymbol{V}_{x}$ and $\boldsymbol{V}_{\boldsymbol{y}}$ below.


Now subst itute into the enuat ions you just wrote to find the horizontal velocity ( $\boldsymbol{V}_{x}$ ) and the vert ical velocity $\left(\boldsymbol{V}_{y}\right)$. Both units will be in $\frac{m}{\mathrm{sec}}$

$$
\text { Horizontal Velocity }\left(V_{x}\right)=
$$

$\qquad$

$$
\text { Vertical Velocity }\left(V_{y}\right)=
$$

$\qquad$

## FIND THE TIME BEFORE IMPACT

We need to know how long the balloon will be in the air. To find this, we use the equation $a=\frac{-2 V_{y}}{t} \quad$ and solve for $t$. This $t$ represents the time your balloon will be in the air WHEN LAUNCHED AT AN ANGLE OF 30 DEGREES. It is different from the average $t$ used earlier, which was the time your balloon was in the air when launched straight up. Solve for $t$ below.

Now subst itute into the equat ion you just wrote to find the time the balloon is in the air when launched at 30 degrees ( $\boldsymbol{t}$ ). Remember, $\boldsymbol{a}=-9.8$.
$\qquad$

## FIND THE DISTANCE TRAVELED

Like I said earlier, the equation $\boldsymbol{d}=\boldsymbol{V}_{\boldsymbol{x}} \boldsymbol{t}$ tells us the distance our balloon will travel through the air with no external forces other than gravity. Now we know $V_{x}$ and $\boldsymbol{t}$ we can calculate that distance in meters! Show your work below:

## Distance $(\boldsymbol{d})=$

$\qquad$
$\boldsymbol{d}$ is how far away your balloon will land in meters! The last thing we have to do is convert that to yards so we can test it on the football field! ( $1 \mathrm{~m}=1.09 \mathrm{yds}$ )

$$
\text { Distance }(\boldsymbol{d})=
$$

$\qquad$

